

On the relationship of traditional and Web Services Security protocols

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Traditional security protocols

We identify traditional security protocols with the common notation in the literature in the style of Dolev-Yao in which both the concrete syntax and the concrete cryptographic algorithms are abstracted as constructors of a free algebra.

1. $A \rightarrow B : \{n_a, A\}_{PK(B)}$
2. $B \rightarrow A : \{n_a, n_b, B\}_{PK(A)}$
3. $A \rightarrow B : \{n_b\}_{PK(B)}$

Casper - Compiler for Analysing Security Protocols

Casper adopts this notation as its input.

#Protocol description

0. $\rightarrow A : B$

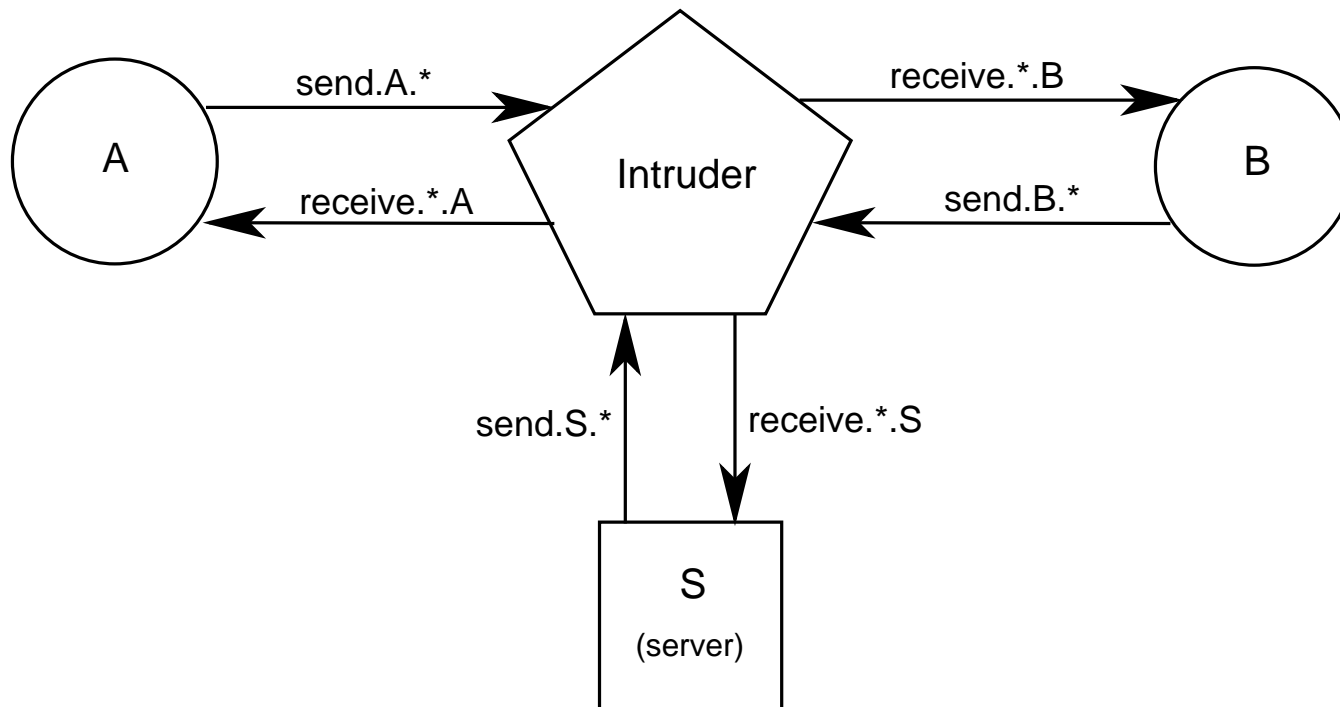
1. $A \rightarrow B : \{na, A\}_{PK(B)}$

2. $B \rightarrow A : \{na, nb, B\}_{PK(A)}$

3. $A \rightarrow B : \{nb\}_{PK(B)}$

Modelling a protocol

$$SYSTEM \hat{=} (|||_{A \in Honest} P_A) || INTRUDER(IIK)$$



Web Services Security - Overview

WS-Security was initially proposed by Microsoft in October 2001.

In June 2002 WS-Security was submitted to the Oasis standard body and in March 2004 it became an Oasis Standard.

It defines elements to incorporate security tokens within SOAP messages.

A security token is an XML illustration of a collection of one or more claims.

A claim is a statement made by an entity and can be name, password, identity, key or privileges.

XML-Signature and XML-Encryption are used for achieving integrity and confidentiality of the security tokens.

XML-Signature

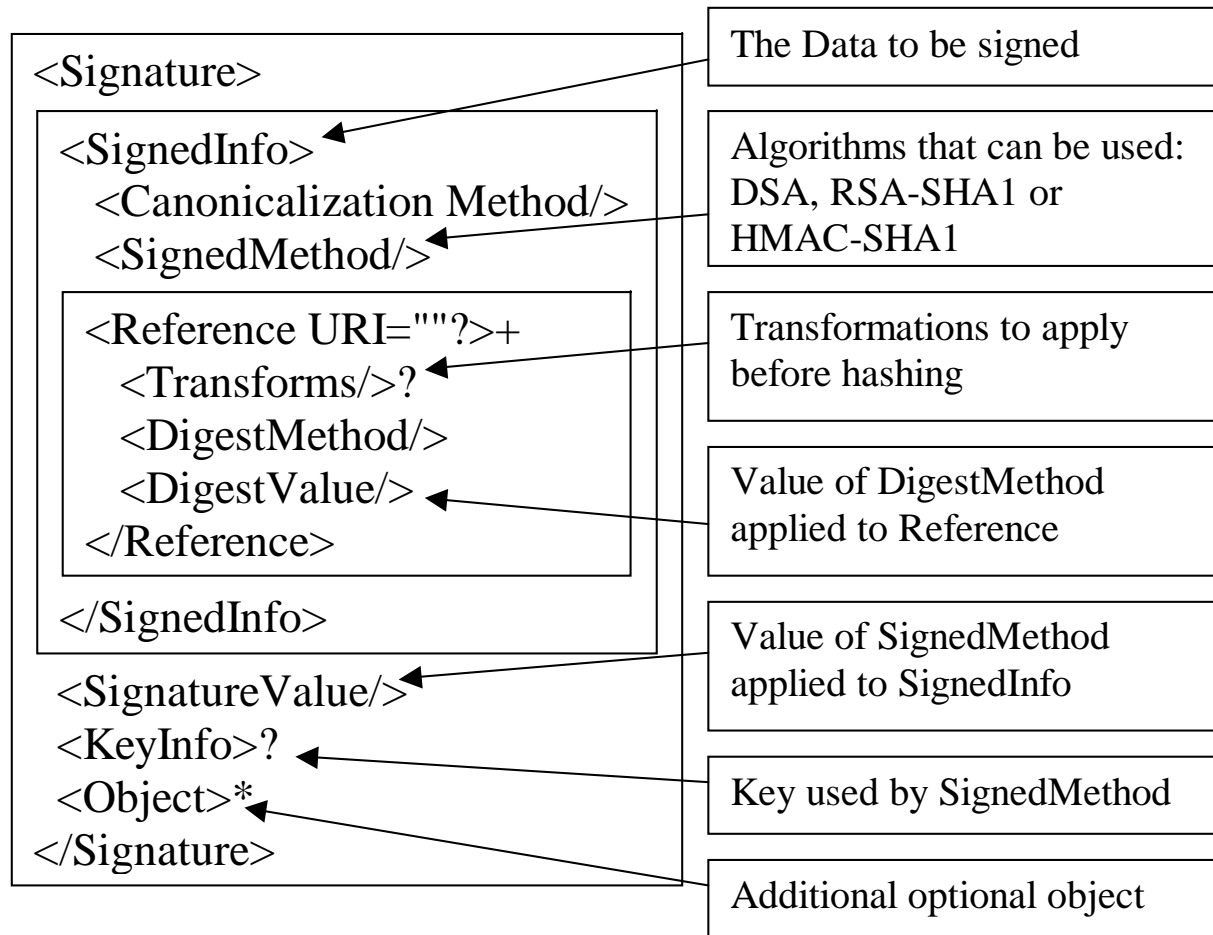


Figure 1: Structure of XML-Signature element

Modelling WS-Security

We construct a mapping ϕ from SOAP messages to Casper input, such that if a WS-security protocol contains the messages m_1, m_2, \dots, m_n then,

1. If an attack is found on $\phi(m_1), \phi(m_2), \dots, \phi(m_n)$ then a corresponding attack can be reproduced on m_1, m_2, \dots, m_n .
2. If an attack exists on m_1, m_2, \dots, m_n then it also exists on $\phi(m_1), \phi(m_2), \dots, \phi(m_n)$. (MFPS05)

More important of the above properties is (2), since we definitely do not want to generate a false “proof” of correctness using the translation.

Any attack found by Casper can be translated back to make sure it is really present in the original protocol.

Message M - taken from an Oasis proposed protocol

```

<Envelope>
  <Header>
    <Security mustUnderstand="1">
      <BinarySecurityToken ValueType="x509v3" Id="myCert"> BV1
    </BinarySecurityToken>
    <Signature>
      <SignedInfo>
        <CanonicalizationMethod Algorithm=... />
        <SignatureMethod Algorithm="http://www.w3.org/2000/09/xmldsig\#rsa-sha1"/>
        <Reference URI="#body">
          <Transforms>
            <Transform Algorithm=... />
          </Transforms>
          <DigestMethod Algorithm=... />
          <DigestValue> BV2 </DigestValue>
        </Reference>
      </SignedInfo>
      <SignatureValue> BV3 </SignatureValue>
      <KeyInfo>
        <SecurityTokenReference>
          <Reference URI="#myCert" />
        </SecurityTokenReference>
      </KeyInfo>
    </Signature>
  </Header>
</Envelope>

```



```
<EncryptedKey>
  <EncryptedMethod Algorithm="http://www.w3.org/2001/04/xmlenc#rsa-1_5"/>
  <KeyInfo>
    <SecurityTokenReference>
      <KeyIdentifier ValueType="X509v3"> BV4
    </KeyIdentifier>
    </SecurityTokenReference>
  </KeyInfo>
  <CipherData>
    <CipherValue> BV5 </CipherValue>
  </CipherData>
  <ReferenceList>
    <DataReference URI="#enc" />
  </ReferenceList>
</EncryptedKey>
</Security>
</Header>
<Body Id="body">
  <EncryptedData Id="enc" Type="http://www.w3.org/2001/04/xmlenc#content">
    <EncryptedMethod Algorithm="http://www.w3.org/2001/04/xmlenc#tripleDES-cbc" />
    <CipherData>
      <CipherValue> BV6 </CipherValue>
    </CipherData>
  </EncryptedData>
</Body>
</Envelope>
```

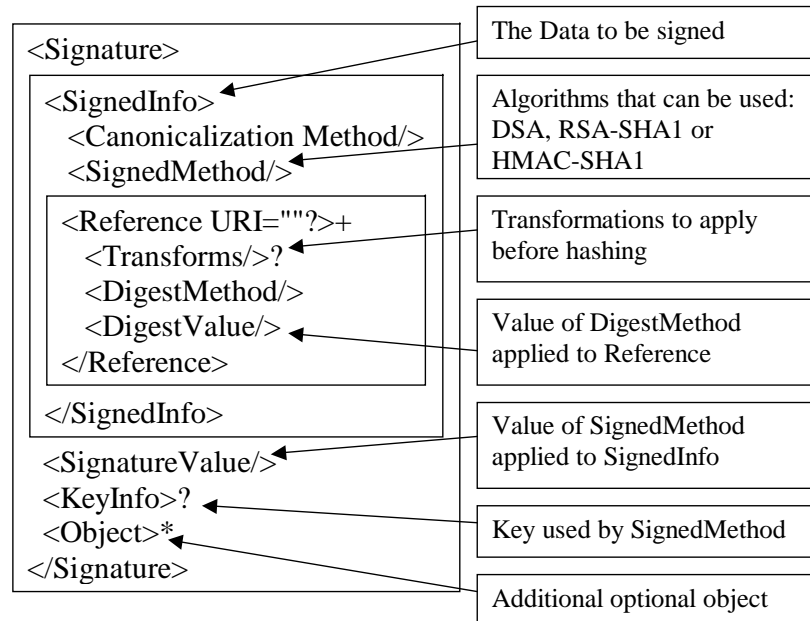
Applying ϕ on **Security** element

$\phi(\langle \textit{Security} \rangle \dots \langle / \textit{Security} \rangle) =$

$\phi(\langle \textit{BinarySecurityToken} \rangle \dots \langle / \textit{BinarySecurityToken} \rangle),$

$\phi(\langle \textit{EncryptedKey} \rangle \dots \langle / \textit{EncryptedKey} \rangle), \phi(\langle \textit{Signature} \rangle \dots \langle / \textit{Signature} \rangle)$

Applying ϕ on Signature element



$$\phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle) = \{ \phi(\langle \text{Reference} \dots \rangle \dots \langle / \text{Reference} \rangle), \dots$$

$$\phi(\langle \text{Reference} \dots \rangle \dots \langle / \text{Reference} \rangle) \dots \} \phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{SIG})$$

$$\phi(\langle \text{Reference} \dots \rangle \dots \langle / \text{Reference} \rangle), \dots, \phi(\langle \text{Reference} \dots \rangle \dots \langle / \text{Reference} \rangle) \dots$$

Demonstrate the complete derivation of $\phi(M)$

$\phi(M)$

$\Rightarrow \phi(\langle \text{Header} \rangle \dots \langle / \text{Header} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \phi(\langle \text{Security} \rangle \dots \langle / \text{Security} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \phi(\langle \text{BinarySecurityToken} \rangle \dots \langle / \text{BinarySecurityToken} \rangle),$
 $\phi(\langle \text{EncryptedKey} \rangle \dots \langle / \text{EncryptedKey} \rangle), \phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle),$
 $\phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \phi(\langle \text{EncryptedKey} \rangle \dots \langle / \text{EncryptedKey} \rangle), \phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle),$
 $\phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \phi(\langle \text{ReferenceList} \rangle \dots \langle / \text{ReferenceList} \rangle, \{K\}), \{K\} \phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{ENC}),$
 $\phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \phi(\langle \text{DataReference URI}=\# \text{enc} \ / \rangle, \{K\}), \{K\} \phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{ENC}),$
 $\phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \text{Context}(\text{enc}, \{K\}), \{K\} \phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{ENC}), \phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle),$
 $\phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \text{Context}(\text{enc}, \{K\}), \{K\} \phi(\langle \text{SecurityTokenReference} \rangle \dots \langle / \text{SecurityTokenReference} \rangle, \text{ENC}),$
 $\phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \text{Context}(\text{enc}, \{K\}), \{K\} \phi(\langle \text{KeyIdentifier} \rangle \dots \langle / \text{KeyIdentifier} \rangle, \text{ENC}),$
 $\phi(\langle \text{Signature} \rangle \dots \langle / \text{Signature} \rangle), \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle)$

$\Rightarrow \text{Context}(\text{enc}, \{K\}), \{K\}_{\text{PK}(\text{B})}, \{\phi(\langle \text{Reference URI}=\# \text{body} \rangle \dots \langle / \text{Reference} \rangle)\},$

$$\begin{aligned}
 & \{\phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle), \text{SIG}\}, \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \\
 & \{\phi(\langle \text{DigestMethod} \dots \rangle)(\phi(\text{body}))\}_{\phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{SIG})}, \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \{\text{sha1}(\phi(\text{body}))\}_{\phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{SIG})}, \\
 & \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \\
 & \{\text{sha1}(\{\text{Body}\}_{\phi(\langle \text{EncryptedData Id="enc" \rangle \dots \langle / \text{EncryptedData} \rangle)})\}_{\phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{SIG})}, \\
 & \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \{\text{sha1}(\{\text{Body}\}_K)\}_{\phi(\langle \text{KeyInfo} \rangle \dots \langle / \text{KeyInfo} \rangle, \text{SIG})}, \\
 & \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \\
 & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \\
 & \{\text{sha1}(\{\text{Body}\}_K)\}_{\phi(\langle \text{SecurityTokenReference} \rangle \dots \langle / \text{SecurityTokenReference} \rangle, \text{SIG})}, \\
 & \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \{\text{sha1}(\{\text{Body}\}_K)\}_{\phi(\langle \text{Reference URI}=\#myCert \dots \rangle), \text{SIG})}, \\
 & \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \{\text{sha1}(\{\text{Body}\}_K)\}_{SK(A)}, \phi(\langle \text{Body} \rangle \dots \langle / \text{Body} \rangle) \\
 \Rightarrow & \text{Context}(\text{enc}, \{K\}), \{K\}_{PK(B)}, \{\text{sha1}(\{\text{Body}\}_K)\}_{SK(A)}, \{\text{Body}\}_K \\
 \Rightarrow & \{K\}_{PK(B)}, \{\text{sha1}(\{\text{Body}\}_K)\}_{SK(A)}, \{\text{Body}\}_K
 \end{aligned}$$

Oasis proposed protocol

1. $A \rightarrow B: M$
2. $B \rightarrow A: M'$

After applying ϕ to both of the messages we get the following protocol.

1. MSG 1. $A \rightarrow B : \{K\}_{PK(B)}, \{sha1(\{Body\}_K)\}_{SK(A)}, \{Body\}_K$
2. MSG 2. $B \rightarrow A : \{K2\}_{PK(A)}, \{sha1(\{Body2\}_{K2})\}_{SK(B)}, \{Body2\}_{K2}$

An attack

Using FDR the following authentication attack was found.

1. MSG 1. $I \rightarrow \text{Bob} : \{K\}_{\text{PK}(\text{Bob})}, \{\text{sha1}(\{\text{Body}\}_K)\}_{\text{SK}(I)}, \{\text{Body}\}_K$
2. MSG 2. $\text{Bob} \rightarrow I : \{K2\}_{\text{PK}(I)}, \{\text{sha1}(\{\text{Body2}\}_{K2})\}_{\text{SK}(\text{Bob})}, \{\text{Body2}\}_{K2}$
3. MSG 1. $\text{Alice} \rightarrow I_{\text{Bob}} : \{K3\}_{\text{PK}(\text{Bob})}, \{\text{sha1}(\{\text{Body3}\}_{K3})\}_{\text{SK}(\text{Alice})}, \{\text{Body3}\}_{K3}$
4. MSG 2. $I_{\text{Bob}} \rightarrow \text{Alice} : \{K2\}_{\text{PK}(\text{Alice})}, \{\text{sha1}(\{\text{Body2}\}_{K2})\}_{\text{SK}(\text{Bob})}, \{\text{Body2}\}_{K2}$

Contribution and Ramifications

- Any WSS protocol can be analysed in the traditional model after it was transformed by ϕ
- We would like to emphasise that although this proof is based on the theory of CSP, it is valid for any tool regardless to its underlying theory.
- ϕ 's input is the SOAP messages of the protocol to be analysed. This fact allows the unprofessional user to analyse complex WSS protocols in a few minutes time.
- It was suggested that ϕ can be used for making the semantics of WSS clearer.

Proof of a WS-SecureConversation based protocol

WS-SecureConversation Background

- WS-Security defines security tokens to provide different security properties to the claims that these tokens encapsulate.
- Yet, the process of verifying these tokens against the security policy has to be repeated for each SOAP message.
- WS-SecureConversation addresses this issue. It is built upon WS-Security and WS-Trust to allow a requestor and a Web Service to set up a mutually authenticated *security context*.
- After the *security context* establishment, the parties may use this shared secret with WS-Security for signing and encrypting messages.

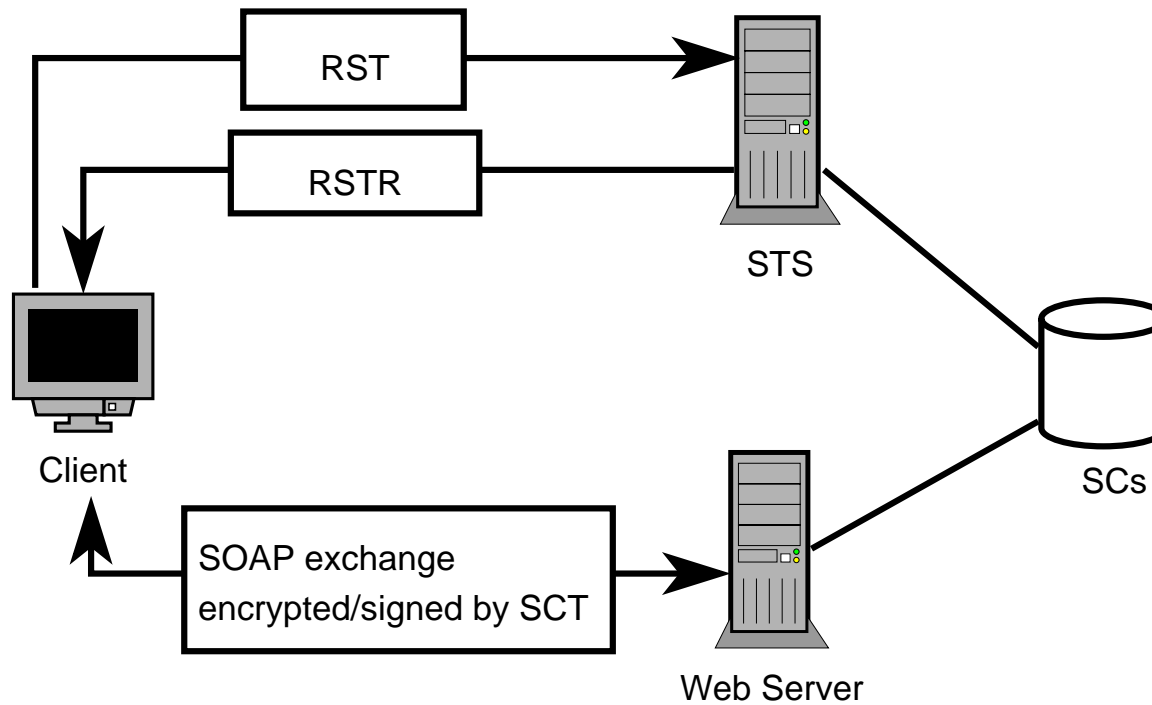
Establishing *security context*

WS-Trust defines three ways to establish *security context*

- **Security Context Token is created by a security token service (STS)**
 1. $A \rightarrow STS : RST$ (may contain an Entropy (e.g. secret key))
 2. $STS \rightarrow A : RSTR$ (contains an Entropy and SCT)

If MSG 1. includes an Entropy then $SCT = p\text{-}sha1(k_A, K_{STS})$
else $SCT = K_{STS}$

- **Security Context is created by one of the agents and propagated with a message**
- **Security Context created by negotiation**



Note that WS-SecureConversation and WS-Trust do not define how to secure the RST, RSTR and SCT.

Modelling WS-SecureConversation

1. Extend ϕ to capture the new tokens (e.g. RST, RSTR, SCT etc)
2. Prove by induction that the extension of ϕ does not harm the safety of ϕ

Example - WSE's WS-SecureConversation

The protocol after applied to ϕ :

1. $A \rightarrow B$: RST, UMI1, anonymous, B, ts1,
 $\{\text{sha1}(ts1), \text{sha1}(\text{SecurityToken-b8...}, \{K_1\}_{PK(B)}),$
 $\text{sha1}(\text{RST}), \text{sha1}(\text{UMI1}), \text{sha1}(\text{anonymous}), \text{sha1}(B)\}_{p\text{-sha1}(\text{pass}(A), N_A + ts1)},$
 $\text{sha1}(\text{password}(A), N_A, ts1), N_A, ts1, \{K_1\}_{PK(B)}$
2. $B \rightarrow A$: RSTR, UMI2, UMI1, anonymous, ts2,
 $\{\text{sha1}(\text{RSTR}), \text{sha1}(\text{UMI2}), \text{sha1}(\text{UMI1}), \text{sha1}(\text{anonymous}),$
 $(\text{sha1}(ts2), \text{sha1}(\text{uuid1}, ts2'), \{K_2\}_{K_1})\}_{SK(B)}, \text{uuid1}, ts2', \{K_2\}_{K_1}$
3. $A \rightarrow B$: UMI3, anonymous, B, ts3, (uuid1, ts2'), $\{\text{sha1}(\text{UMI3}), \text{sha1}(\text{anonymous}),$
 $\text{sha1}(B), \text{sha1}(ts3), \text{sha1}(\text{body1})\}_{p\text{-sha1}(K_1, K_2)}, \{\text{body1}\}_{p\text{-sha1}(K_1, K_2)}$
4. $B \rightarrow A$: UMI4, UMI3, A, ts4, (uuid1, ts2'), $\{\text{sha1}(\text{UMI4}), \text{sha1}(\text{UMI3}),$
 $\text{sha1}(\text{anonymous}), \text{sha1}(ts4), \text{sha1}(\text{body2})\}_{p\text{-sha1}(K_1, K_2)},$
 $\{\text{body2}\}_{p\text{-sha1}(K_1, K_2)}$

After applying some simplifying transformations...

MSG 1. $A \rightarrow B$: $UMI1, \{UMI1, B, \{K_1\}_{PK(B)}\}_{p-sha1(pass(A), N_A), sha1(password(A), N_A)}, N_A, \{K_1\}_{PK(B)}$

MSG 2. $B \rightarrow A$: $\{UMI1, UMI2, \{K_2\}_{K_1}\}_{SK(B)}, uuid1, \{K_2\}_{K_1}$

MSG 3. $A \rightarrow B$: $\{UMI3, B, body1\}_{p-sha1(K_1, K_2)}, \{body1\}_{p-sha1(K_1, K_2)}$

MSG 4. $B \rightarrow A$: $\{UMI3, UMI4, body2\}_{p-sha1(K_1, K_2)}, \{body2\}_{p-sha1(K_1, K_2)}$

No Secrecy violation was found by FDR

- Therefore the original WSS protocol is correct in term of secrecy

An authentication attack

- MSG 1 α . $A \rightarrow I_B$: $UMI1, \{UMI1, B, \{K_1\}_{PK(B)}\}_{p-sha1(pass(Alice), N_A), sha1(password(Alice), N_A)), N_A, \{K_1\}_{PK(B)}$
- MSG 1 β . $I \rightarrow B$: $UMI1, \{UMI1, B, \{K_1\}_{PK(B)}\}_{p-sha1(pass(I), N_A), sha1(password(I), N_A)), N_A, \{K_1\}_{PK(B)}$
- MSG 2 β . $B \rightarrow I$: $\{UMI1, UMI2, \{K_2\}_{K_1}\}_{SK(B), uuid1, \{K_2\}_{K_1}$
- MSG 2 α . $I_B \rightarrow A$: $\{UMI1, UMI2, \{K_2\}_{K_1}\}_{SK(B), uuid1, \{K_2\}_{K_1}$
- MSG 3 α . $A \rightarrow I_B$: $\{UMI3, B, body1\}_{p-sha1(K_1, K_2), \{body1\}_{p-sha1(K_1, K_2)}$
- MSG 3 β . $I \rightarrow B$: $\{UMI3, B, body1\}_{p-sha1(K_1, K_2), \{body1\}_{p-sha1(K_1, K_2)}$
- MSG 4 β . $B \rightarrow I$: $\{UMI3, UMI4, body2\}_{p-sha1(K_1, K_2), \{body2\}_{p-sha1(K_1, K_2)}$
- MSG 4 α . $I_B \rightarrow A$: $\{UMI3, UMI4, body2\}_{p-sha1(K_1, K_2), \{body2\}_{p-sha1(K_1, K_2)}$

In addition

- UMI1 and N_A are not properly authenticated in the WS-Trust part of the protocol.
- UMI3 and UMI4 are not properly authenticated in the WS-SecureConversation part of the protocol.

Conclusion

- That part of SOAP Message Security which lies outside of any cryptographic operators may be constructed at will by any user, trustworthy or malicious. There is nothing secret about it.
- Since Kerckhoff's Known Design Principle is adopted by most if not all crypto-analysts, the extra information about the structure of the messages given by the XML-tagging is assumed anyway.
- We have already shown in ARS04 that there are some interesting ways in which SOAP can assist security by providing degree of protection against type flaw attacks.

Related work

- Gordon and Pucella proposed a security abstraction to RPC services in which requests and responses are encoded as SOAP messages. This abstraction is modelled using an object calculus which its semantics is defined by pi-calculus. This approach is currently limited to checking authentication properties.
- Bhargavan, Fournet, Gordon and Pucella developed a tool (**TulaFale**) based on the Blanchet's **ProVerif**. The tool compiles a description of SOAP-based security protocol and its properties into the pi-calculus and then runs **ProVerif** to analyse it.
- TulaFale specification language was extended for modelling WS-Trust and WS-SecureConversation based protocols.

Future work

1. We have already automated ϕ , we intend to write a user interface for analysing WS-Security protocols.
2. We are interested in “internalising” potential intermediaries and believe we then be able to model and check protocols with arbitrary number of intermediaries.